

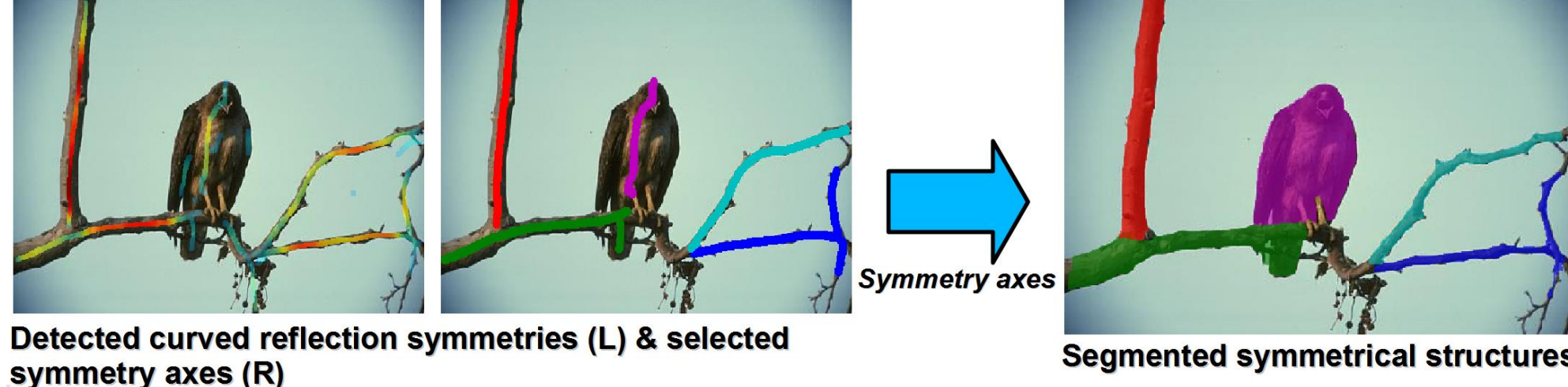
Detection and Segmentation of 2D Curved Reflection Symmetric Structures

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Code and data:
<http://www.umiacs.umd.edu/~cto/SymmetrySegmentation>

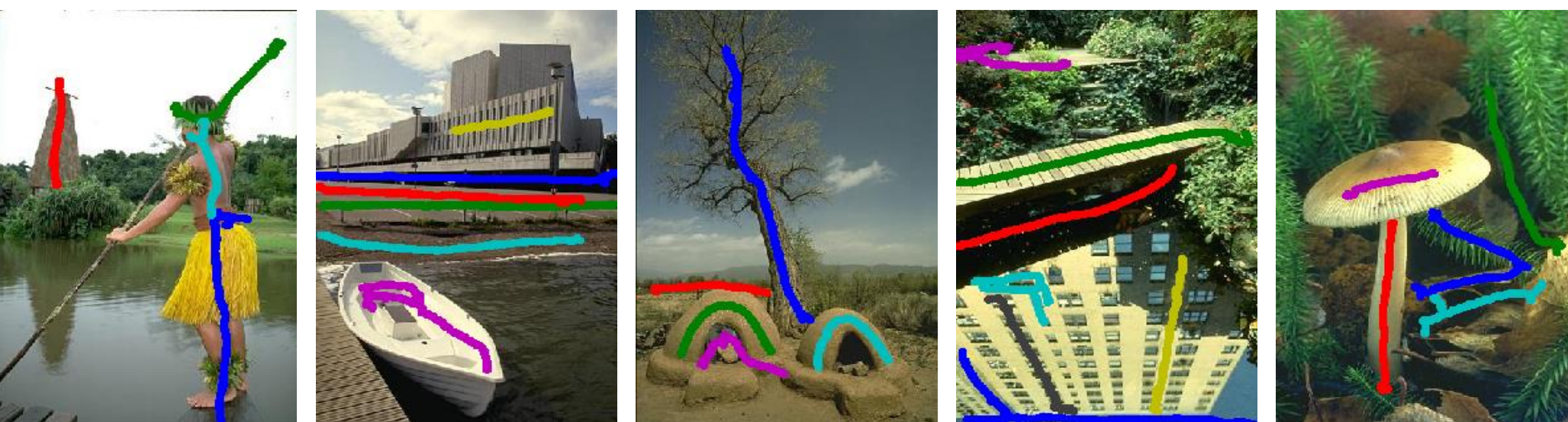
Abstract

1) Curved reflection symmetry detection 2) Symmetry-constrained segmentation



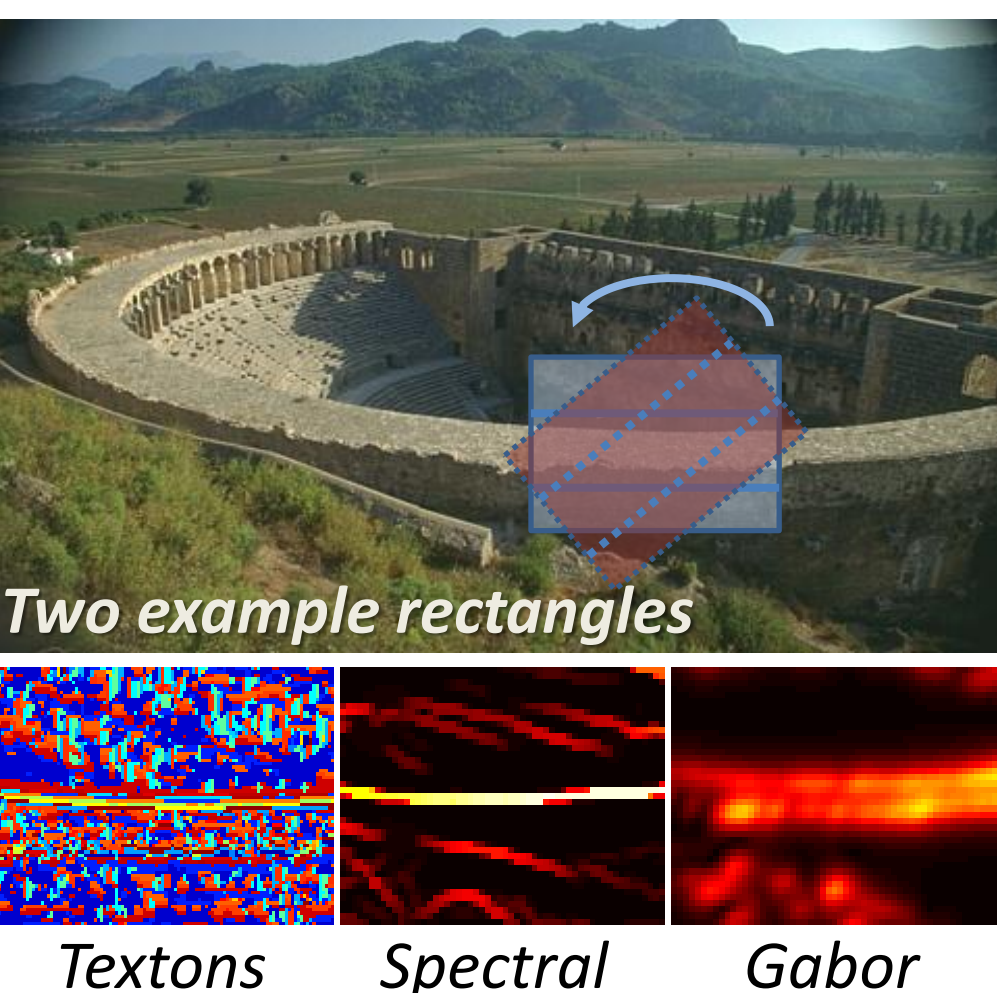
Symmetry, as one of the key tenets of Gestalt theory, is ubiquitous in natural images. In this work, we focus on 1) **detecting curved reflection symmetries** commonly found in articulated objects and 2) **segmenting symmetric regions** that support these symmetries. We do this in two steps: I) Curved symmetries are detected via a Structured Random Forest^[1] (SRF) trained over local cues and II) using them as priors in a 5-way Markov Random Field (MRF) representation of the image edges to produce **symmetry-constrained** segments via graph-cuts. Consequently, our method handles 1) multiple branched symmetries and produces 2) quasi-symmetric regions in one single optimization step.

What are Curved Reflection Symmetries?



Curved reflection symmetry, also known as *ridges*, *ribbons* or *centerlines* is a generalization of reflection symmetry for articulated structures and is closely related to its *medial axis*.

Curved Symmetries: Local Cues

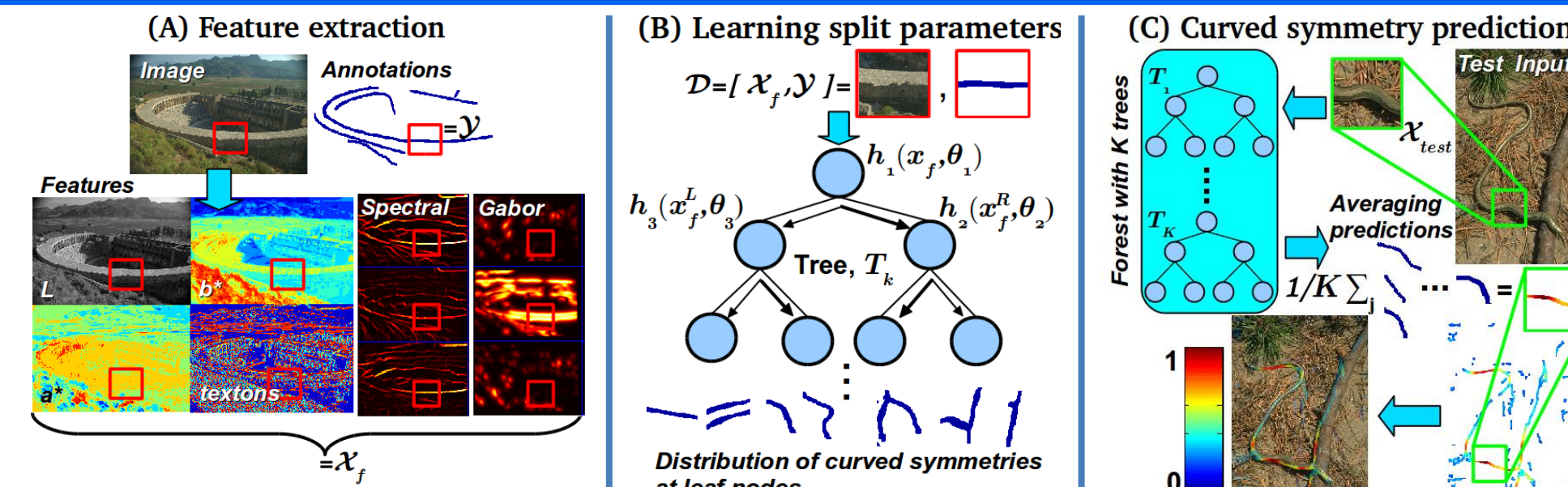


We adopt the fast integral image approach of [4] by comparing multi-scaled histograms of local cues: $L*a*b^*$, *textons*^[3], *spectral*^[4] and *Gabor* edges. These cues capture **complimentary** information – Gabors are useful when textureless regions are encountered. Histograms of these cues along oriented rectangles using the EMD-L1 distance^[5] are used as input features to the SRF-based classifier.

References

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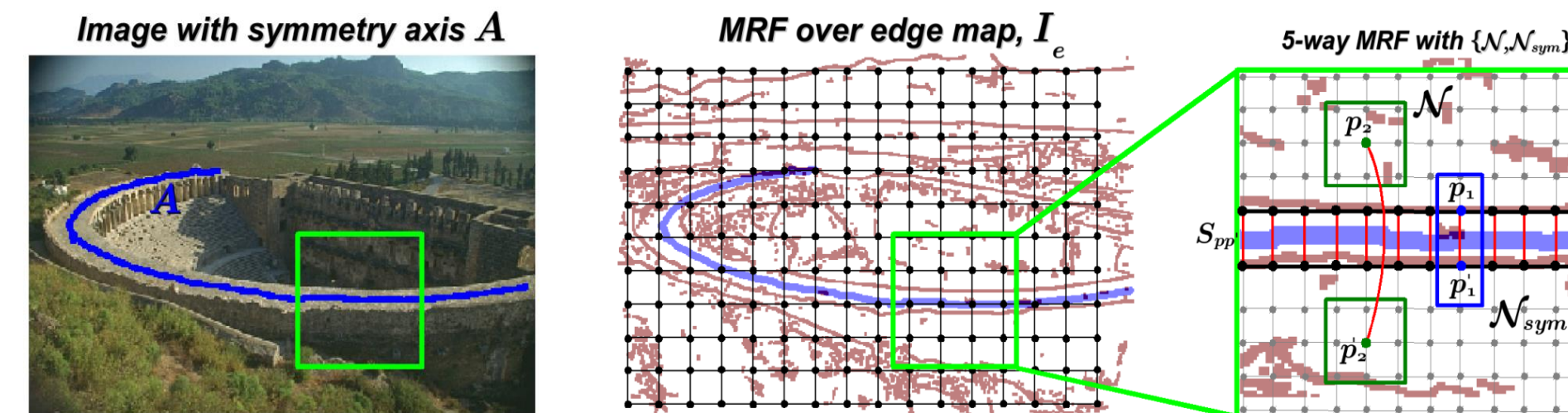
Fast Curved Symmetry Detection via SRF



(A & B) The SRF takes in *structured annotations* – ground-truth centerlines (\mathcal{Y}) with input patch-based features (\mathcal{X}_f), and learns the optimal split parameters, θ , at each split node and a distribution of centerlines at the leaf nodes. (C) Given a test image, each decision tree will produce a structured prediction of the centerline given the same input features, and we average the predictions over all trees.

Symmetry-Guided Segmentation via Graph-Cuts

Given a set of axes \mathcal{A} , we construct a 5-way MRF with an additional **cross-symmetry** connection between symmetric neighbors (p, p'):



The final segmentation is obtained by minimizing the energy function:

$$E(f) = \underbrace{\sum_{p \in \mathcal{P}} U_p(f_p) + \sum_{(p,q) \in \mathcal{N}} V_{pq}(f_p, f_q)}_{\text{Unary + Pairwise (edges)}} + \underbrace{\sum_{(p,p') \in \mathcal{N}_{\text{sym}}} S_{pp'}(f_p, f_{p'}) + \sum_{(p,q) \in \mathcal{N}} B_{pq}(f_p, f_q)}_{\text{Cross-symmetry + "Ballooning"}}$$

Two **symmetry measures** between (p, p') are used: 1) the SRF-based predictions $v_{pp'}$ and 2) their Euclidean distance to the symmetry axis, \mathcal{D}_A . We embed these measures into the cross-symmetry term, $S_{pp'}$.

Cross-symmetry Pairwise Term

$$S_{pp'}(f_p, f_{p'}) = \begin{cases} es_{pp'}, & \text{if } f_p \neq f_{p'} \\ \beta, & \text{otherwise} \end{cases}$$

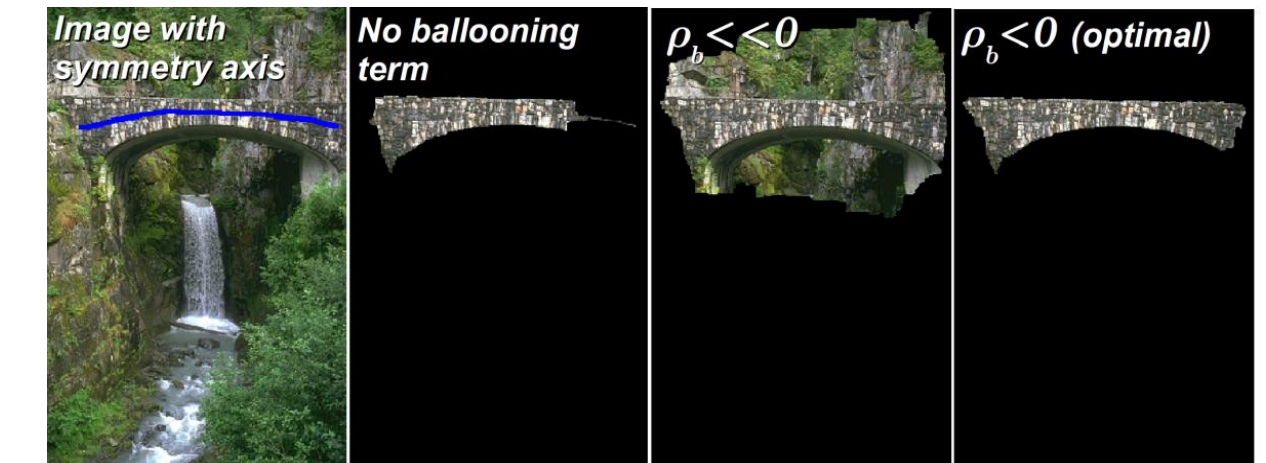
$$es_{pp'} = 1 + \beta - \frac{1}{Z} \log(1 + \underbrace{\|D_A(p) - D_A(p')\| + v_{pp'}}_{\text{Symmetry strength + SRF score}})$$

Large penalty for symmetric pixels with different labels \rightarrow enforces symmetry in final segmentation.

“Ballooning” Expansion Term

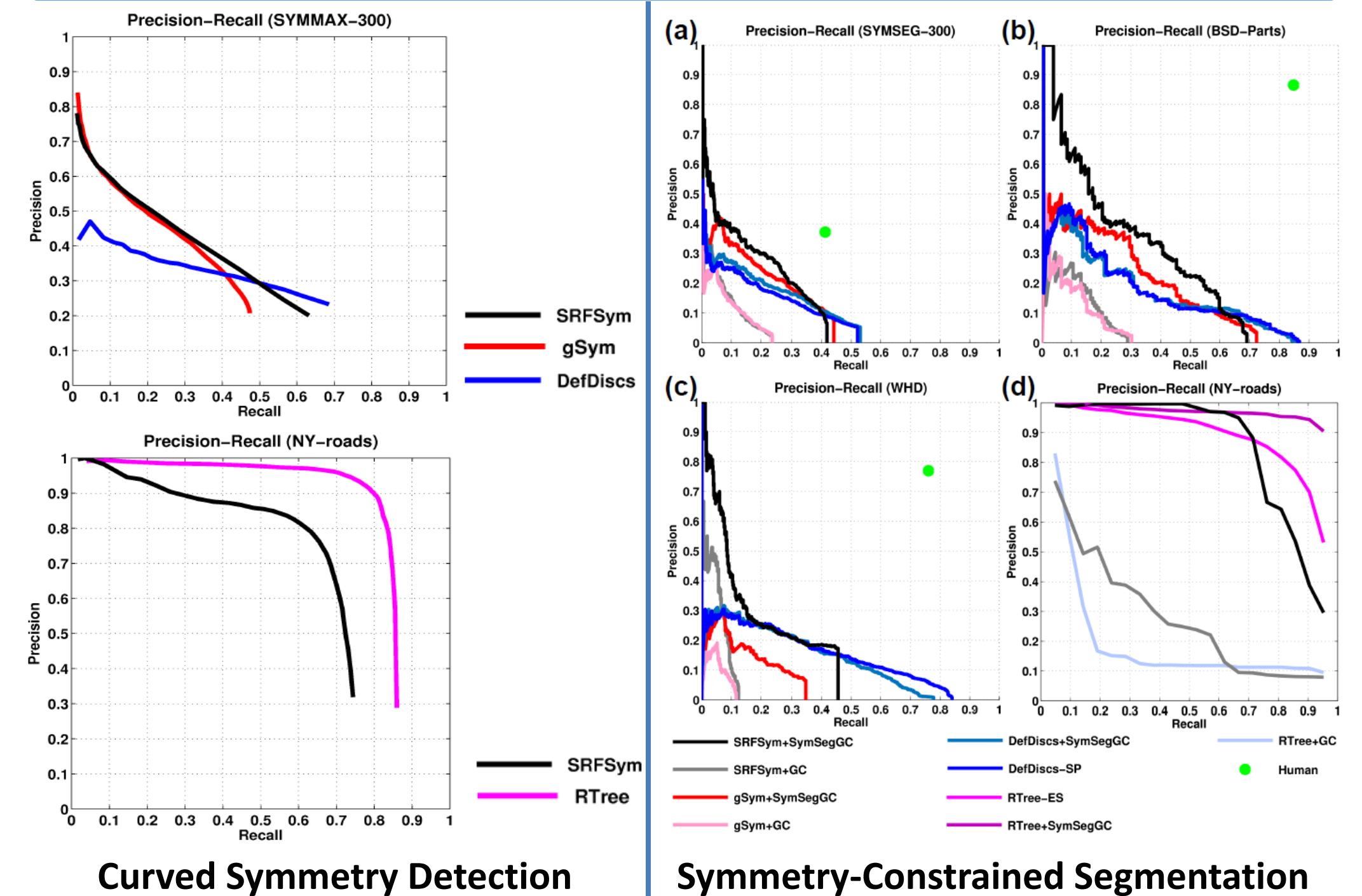
Noise and internal edges (due to textures) often results in a degenerate segmentation close to the symmetry axis. Similar to [6], we encourage the segmentation to expand along *opposing directions* perpendicular to the symmetry axis.

$$B_{pq}(f_p, f_q) = \begin{cases} 0, & \text{if } f_p = f_q \\ \infty, & \text{if } f_p = 1 \text{ and } f_q = 0 \\ \rho_b, & \text{if } f_p = 0 \text{ and } f_q = 1 \end{cases}$$



Submodularity of pairwise terms: V_{pq} , B_{pq} are submodular by construction. Since $es_{pp'} \geq \beta$ for all β , $E(f)$ can be minimized exactly via graph-cuts^[7].

Experimental Evaluations



Evaluation on two tasks: a) curved symmetry detection and b) segmentation accuracy over four publicly available datasets^[4,8,9]. Our approach produces **competitive** curved symmetry predictions and **superior** symmetrical segments at a **fraction of the time** needed for other approaches.

Acknowledgments

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Scan for more Info:



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